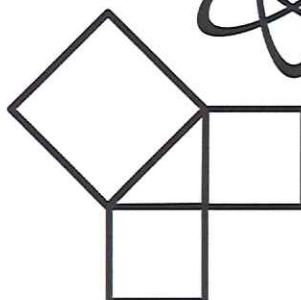
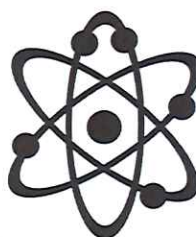
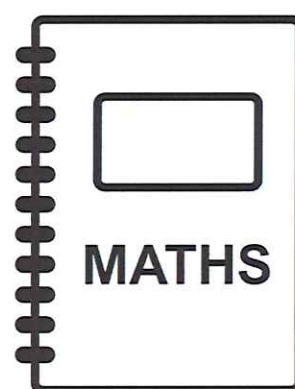


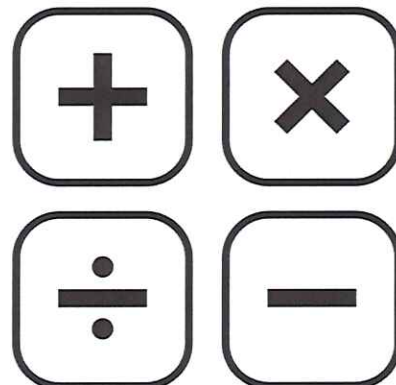
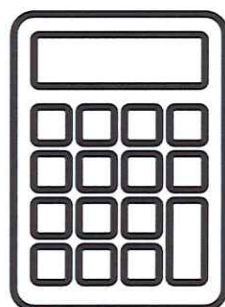
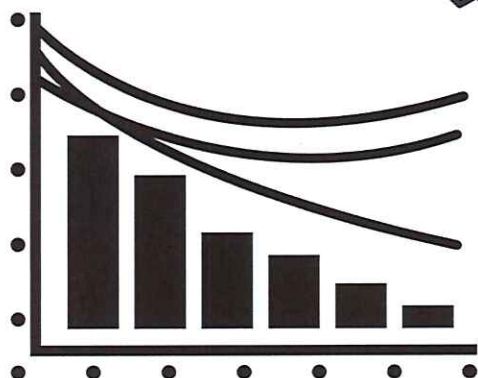
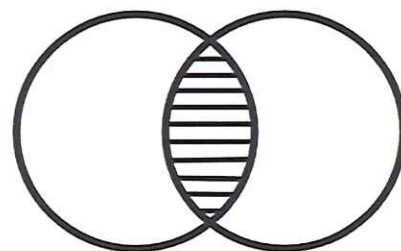
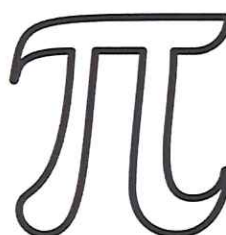
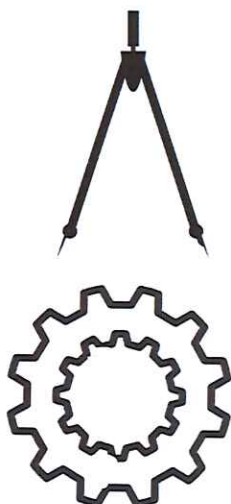
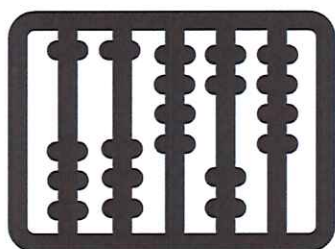
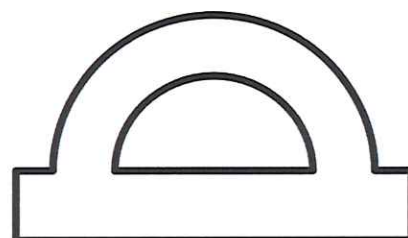
MATHSDIY

GCSE TOPIC BOOKLET ANGLES: THE BASICS

SOLUTIONS



$$a^2 = b^2 + c^2$$



1. (a) Calculate the size of the angle marked x .

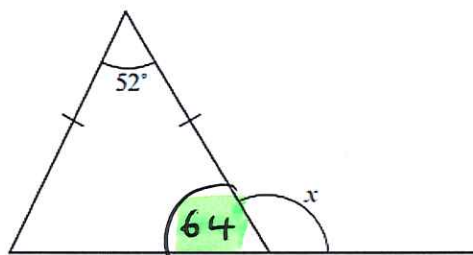


Diagram not drawn to scale

$$180 - 52 = 128, \quad 128 \div 2 = 64 \quad (\text{isosceles triangle})$$

$$x + 64 = 180 \quad (\text{angles on a straight line})$$

$$x = 116^\circ$$

[3]

- (b) Calculate the size of the angle marked y .

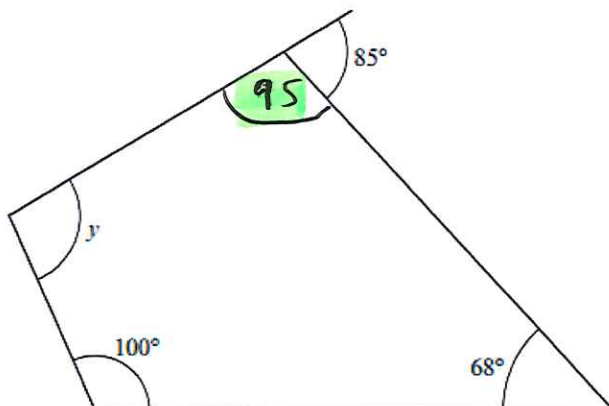


Diagram not drawn to scale

95° angle because of angles on a straight line.

Angles in a quadrilateral total 360°

$$y = 360 - (100 + 68 + 95)$$

$$y = 97^\circ$$

[3]

2.

(a) Find the size of angle x .

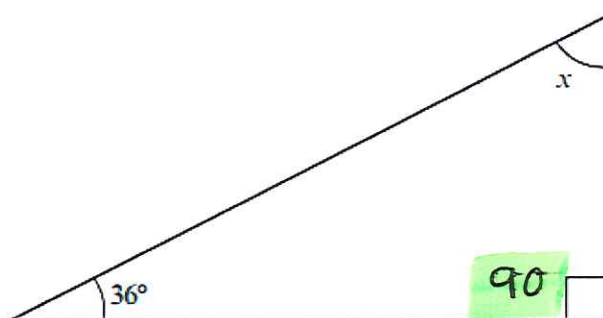


Diagram not drawn to scale

$$x = 180 - (90 + 36)$$

$$x = 180 - 126 \quad (\text{angles in a triangle total } 180^\circ)$$

$$x = 54^\circ$$

[2]

(b) Find the size of angle y .

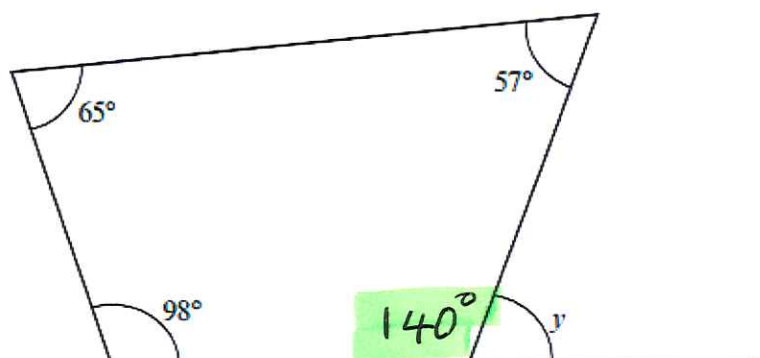


Diagram not drawn to scale

Angles in a quadrilateral total 360°

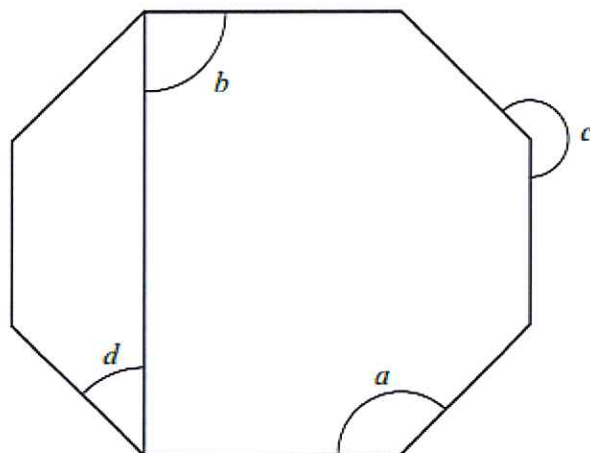
$$360 - (65 + 98 + 57) = 140^\circ$$

$$y = 180 - 140 \quad (\text{angles on a straight line})$$

$$y = 40^\circ$$

[3]

3.



Look at the angles marked a , b , c and d .
Write the letter of the angle alongside its special name.

acute angle

d

reflex angle

c

right angle

b

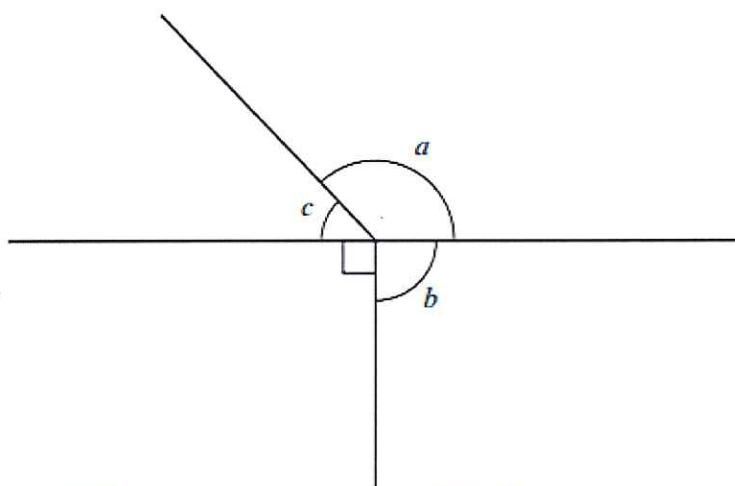
obtuse angle

a

[4]

4.

Look at the angles a , b and c .
Write the letter of the angle alongside its special name.



acute angle

c

obtuse angle

a

right angle

b

[3]

5. Find the size of the angle marked y .

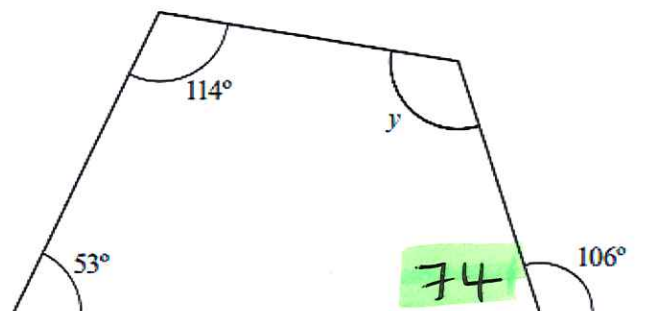


Diagram not drawn to scale

74° as shown because of angles on a straight line.

$$360 - (114 + 53 + 74) = y$$

angles in a quadrilateral total 360°

$$y = \underline{\underline{119^\circ}}$$

[3]

6. (a) Find the size of angle x .

[2]

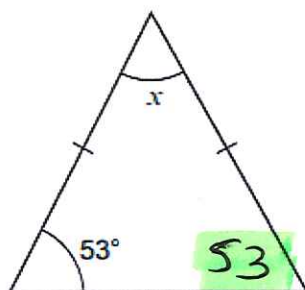


Diagram not drawn to scale

$$x = 180 - (53 + 53)$$

isosceles triangle

$$x = \underline{\underline{74^\circ}}$$

(b) Find the size of angle y .

[3]

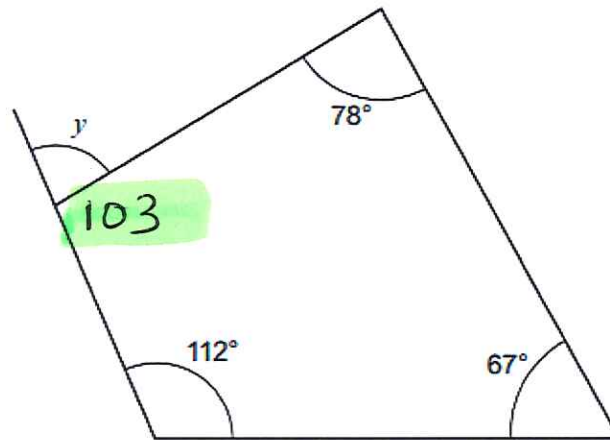


Diagram not drawn to scale

103 as shown because angles in a quadrilateral add upto 360°

$$y = 180 - 103 \quad \text{angles on a straight line}$$

$$y = \underline{\underline{77}}^\circ$$

7.

You will be assessed on the quality of your written communication in this question.

ABC is an equilateral triangle and $BCDE$ is a square.

↓
explain
carefully

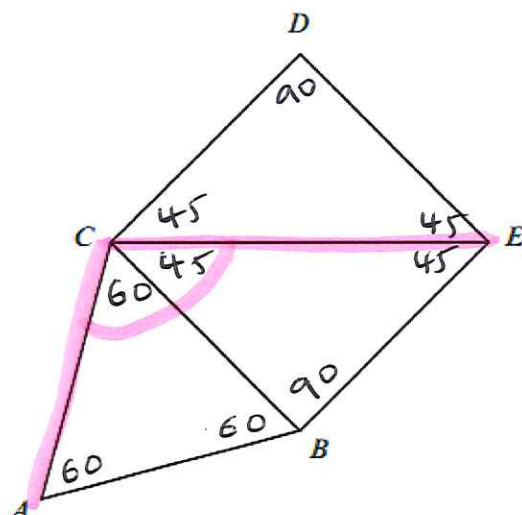


Diagram not drawn to scale

Find the size of $\hat{ACE}$.

You must explain each step of your calculation and show all your working.

All of the angles in triangle ABC are 60° because it is equilateral.

CE is a diagonal of the square so it bisects angle $\hat{BCD}$ in half. $\hat{BCD} = 90^\circ$ because all the angles in a square are 90° . Therefore $\hat{BCE}$ and $\hat{ECD}$ are both 45° .

$$\hat{ACE} = 60 + 45$$

$$\underline{\underline{\hat{ACE} = 105^\circ}}$$

[5]

8.

- (a) In the diagram, PS , QT and RU are straight lines. Find the size of angle x .

[2]

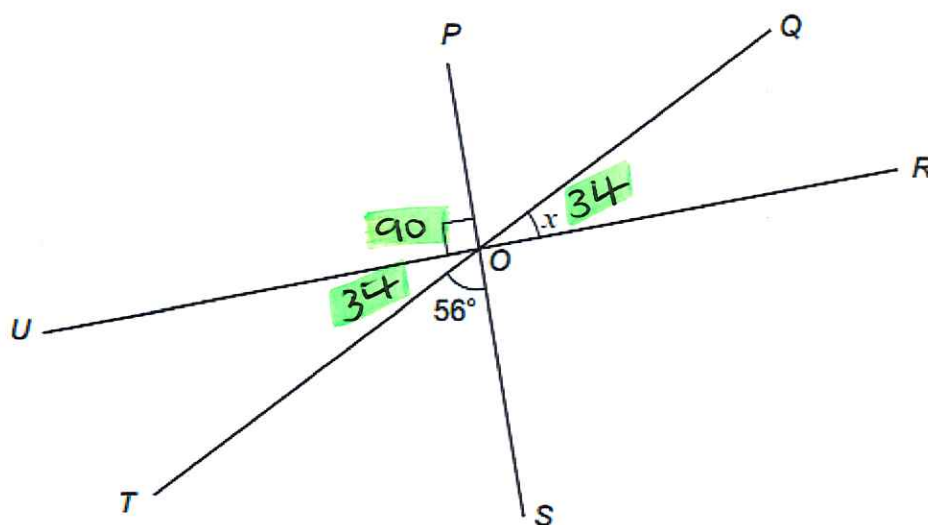


Diagram not drawn to scale

$$\angle UOT = 34^\circ \quad (180 - (90 + 56)) \text{ angles on a straight line}$$

$$\hat{x} = \angle UOT = 34^\circ \text{ vertically opposite}$$

$$x = 34^\circ$$

- (b) $ABCD$ is a rhombus. Find the size of angle y .

[3]

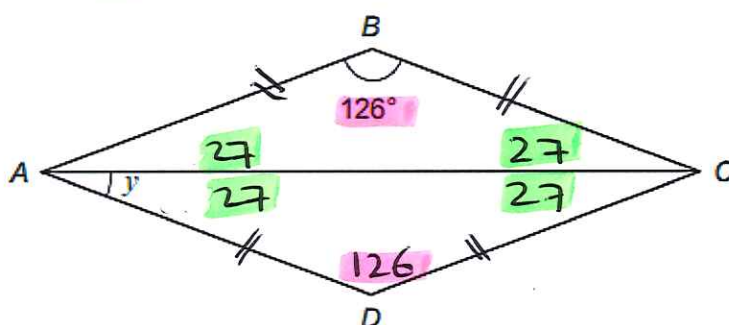


Diagram not drawn to scale

Rhombus, so four equal sides.
opposite angles equal $\hat{B} = \hat{D}$ $\hat{A} = \hat{C}$
diagonal bisects angles $\hat{A}$ and $\hat{C}$ and is
a line of symmetry.
two isosceles triangles

$$y = 27^\circ$$

9.

- (a) $ABCD$ is a rhombus with $\hat{ADB} = 37^\circ$.
Find the size of angle x .

[3]

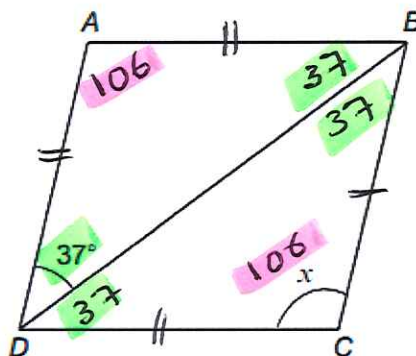


Diagram not drawn to scale

Diagonal BD bisects $\hat{D}$ and $\hat{B}$ and two isosceles triangles are formed

$$x = 106^\circ$$

- (b) Find the size of angle y .

[3]



Diagram not drawn to scale

41 because $360 - (132 + 126 + 61) = 41$
(angles in a quadrilateral total 360°)

$y = 180 - 41$ (angles on a straight line)

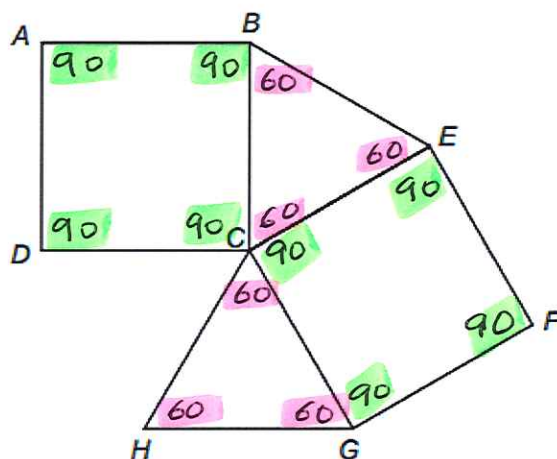
$$y = 139^\circ$$

$$y = 139^\circ$$

10.

The diagram shows 2 identical squares and 2 identical equilateral triangles. Explain fully how another equilateral triangle will fit exactly into the gap DCH .

[5]



Angles at a point total 360°

Angles in a square all are 90°

Angles in an equilateral triangle all are 60°

This means so far at C we have

$$90 + 60 + 90 + 60 = 300^\circ$$

$$\therefore \angle DCH = 360^\circ - 300^\circ = 60^\circ$$

$DC = CH$ $\therefore$ isosceles triangle

But, will actually be 3 lots of 60°

$\therefore \underline{\underline{\angle DCH = \text{equilateral triangle}}}$